

Blocks

Input file: **standard input**
Output file: **standard output**
Time limit: 1 second
Memory limit: 256 megabytes

Painting is always a boring job.

There are n blocks on an infinite two-dimensional plane. Each block is a rectangle parallel to the x -axis and y -axis with a non-zero area.

The coordinates of bottom-left corner and top-right corner of the i -th block are $(x_{1,i}, y_{1,i})$ and $(x_{2,i}, y_{2,i})$.

There is another block with coordinates of bottom-left corner and top-right corner are $(0, 0)$ and (W, H) . Nike wants to paint this block black. He will repeatedly choose one of the n blocks **uniformly at random** and fill it black, until the rectangle $((0, 0), (W, H))$ is completely filled black.

Find the expected value of the number of times the procedure is done, modulo 998244353. If Nike will never fill $((0, 0), (W, H))$ completely black, output -1 .

Input

The input contains several test cases, and the first line contains a positive integer T indicating the number of test cases which is up to 500.

For each test case, the first line contains an integer n ($1 \leq n \leq 10$).

The second line contains 2 integers W, H ($1 \leq W, H \leq 10^9$).

Each of the following n lines contains 4 integers $x_{1,i}, y_{1,i}, x_{2,i}, y_{2,i}$ ($0 \leq x_{1,i} < x_{2,i} \leq 10^9$, $0 \leq y_{1,i} < y_{2,i} \leq 10^9$), describing the coordinates according to the problem statement.

Output

For each test case, output one line, the answer modulo 998244353. If the procedure is impossible to stop, output -1 .

It can be proved that the expected value is always a rational number. Additionally, under the constraints of this problem, when that value is represented as Q/P using two coprime integers P and Q , it can be proved that there uniquely exists an integer R such that $R \times Q \equiv P \pmod{998244353}$ and $0 \leq R < 998244353$. In this case, you should find this R .

Example

standard input	standard output
1	10
8	
5 5	
0 0 2 2	
2 2 5 5	
0 2 2 5	
2 0 5 2	
0 0 1 1	
1 1 5 5	
0 1 1 5	
1 0 5 1	