

Doremy's Number Line

Input file: **standard input**
Output file: **standard output**
Time limit: 2 seconds
Memory limit: 256 megabytes

Doremy has two arrays a and b of n integers each, and an integer k .

Initially, she has a number line where no integers are colored. She chooses a permutation p of $[1, 2, \dots, n]$ then performs n moves. On the i -th move she does the following:

- Pick an **uncolored** integer x on the number line such that either:
 - $x \leq a_{p_i}$; or
 - there exists a **colored** integer y such that $y \leq a_{p_i}$ and $x \leq y + b_{p_i}$.
- Color integer x with color p_i .

Determine if the integer k can be colored with color 1.

Input

The input consists of multiple test cases. The first line contains a single integer t ($1 \leq t \leq 10^4$) — the number of test cases. The description of the test cases follows.

The first line contains two integers n and k ($1 \leq n \leq 10^5$, $1 \leq k \leq 10^9$).

Each of the following n lines contains two integers a_i and b_i ($1 \leq a_i, b_i \leq 10^9$).

It is guaranteed that the sum of n over all test cases does not exceed 10^5 .

Output

For each test case, output “YES” (without quotes) if the point k can be colored with color 1. Otherwise, output “NO” (without quotes).

You can output “YES” and “NO” in any case (for example, strings “yEs”, “yes” and “Yes” will be recognized as a positive response).

Example

standard input	standard output
6	NO
4 16	YES
5 3	YES
8 12	YES
10 7	NO
15 1	YES
4 16	
8 12	
10 7	
15 1	
5 3	
4 16	
10 7	
15 1	
5 3	
8 12	
4 16	
15 1	
5 3	
8 12	
10 7	
1 1000000000	
500000000 500000000	
2 1000000000	
1 999999999	
1 1	

Note

For the first test case, it is impossible to color point 16 with color 1.

For the second test case, $p = [2, 1, 3, 4]$ is one possible choice, the detail is shown below.

- On the first move, pick $x = 8$ and color it with color 2 since $x = 8$ is uncolored and $x \leq a_2$.
- On the second move, pick $x = 16$ and color it with color 1 since there exists a colored point $y = 8$ such that $y \leq a_1$ and $x \leq y + b_1$.
- On the third move, pick $x = 0$ and color it with color 3 since $x = 0$ is uncolored and $x \leq a_3$.
- On the fourth move, pick $x = -2$ and color it with color 4 since $x = -2$ is uncolored and $x \leq a_4$.
- In the end, point $-2, 0, 8, 16$ are colored with color 4, 3, 2, 1, respectively.

For the third test case, $p = [2, 1, 4, 3]$ is one possible choice.

For the fourth test case, $p = [2, 3, 4, 1]$ is one possible choice.