

After Mirko's failed stint as a coach and a passing obsession with Croatian meat delicacies, his weight problems have motivated him to work hard as a farmer. He has moved to a village where his friend Slavko lives. Farmers in the village share a large common plot of land in the shape of a $N \times N$ square, divided into N^2 unit squares. A unit square at coordinates² (i, j) brings in the income of A_{ij} , which can be negative (for example, if the square has to be maintained but is not cultivated). The farmers always divide the common land into smaller **rectangular fields** with edges **parallel** to the common land edges.

Slavko is skeptical of Mirko since his failure as a coach, so he insists that both of them are assigned land with the **same total income**, but also that the two plots share **exactly one** common corner so that the two friends can keep an eye on each other (Slavko knows that Mirko is prone to mischief). The common corner must be the only point where the two plots meet, in order to prevent border-related arguments.

You are given a description of the common land plot. Find the total number of plot pairs that satisfy Slavko's criteria.

INPUT

The first line of input contains the positive integer N ($1 \leq N \leq 50$), the dimensions of the common land plot.

Each of the following N lines contains N space-separated numbers A_{ij} ($-1000 < A_{ij} < 1000$), the income provided by the respective cell.

OUTPUT

The first and only line of output must contain the total number of plot pairs satisfying the given condition.

SCORING

In test data worth at least 40% of total points, N will be at most 10.

SAMPLE TESTS

<p>input</p> <pre>3 1 2 3 2 3 4 3 4 8</pre> <p>output</p> <pre>7</pre>	<p>input</p> <pre>4 -1 -1 -1 -1 1 2 3 4 1 2 3 4 1 2 3 4</pre> <p>output</p> <pre>10</pre>	<p>input</p> <pre>5 -1 -1 -1 -1 -1 -2 -2 -2 -2 -2 -3 -3 -3 -3 -3 -4 -4 -4 -4 -4 -5 -5 -5 -5 -5</pre> <p>output</p> <pre>36</pre>
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Clarification of the first example: The possible rectangle pairs are: $(0,0)-(1,1)$ and $(2,2)-(2,2)$, $(1,0)-(1,0)$ and $(0,1)-(0,1)$, $(2,0)-(2,0)$ and $(1,1)-(1,1)$, $(1,1)-(1,1)$ and $(0,2)-(0,2)$, $(2,1)-(2,1)$ and $(1,2)-(1,2)$, $(2,0)-(2,1)$ and $(0,2)-(1,2)$, $(1,0)-(2,0)$ and $(0,1)-(0,2)$.