Snakey Beavers

Input file:	`standard input`
Output file:	`standard output`
Time limit:	1 second
Memory limit:	256 megabytes

Mr. Busy Beaver is very stressed: he has to babysit N baby beavers who are strangely obsessed with arranging themselves into one gigantic snake(?!).

The i-th baby beaver starts at a distinct point (x_i, y_i) on an infinite Cartesian plane. Then, they will all start moving. At all times, each beaver's velocity $\vec{v} = (v_x, v_y)$ must satisfy

$$|v_x| \leq 1 \quad \text{and} \quad |v_y| \leq 1 \quad \text{(cells per second)}.$$

They will only be satisfied once their final positions lie along a path that moves only upward and rightward (i.e., nondecreasing in both x_i and y_i). Note that multiple beavers can be at the same point.

Busy Beaver is exhausted, and he just wants to go home. Help him find **twice** the minimum time required to coordinate these babies into the described snake formation. It can be proven that this value is an integer.

Input

The first line contains a single integer T ($1 \leq T \leq 10^4$) — the number of test cases.

Each test case begins with one integer N ($1 \leq N \leq 2 \cdot 10^5$) — the number of baby beavers.

Each of the next N lines contains two integers x_i and y_i ($0 \leq x_i, y_i \leq 10^9$) — the initial coordinates of the i-th beaver.

All (x_i, y_i) in a test case are distinct.

The sum of N over all test cases does not exceed $2 \cdot 10^5$.

Output

For each test case, print one integer — **twice** the minimum number of seconds needed for the beavers to reach a valid snake formation.

Scoring

There are two subtasks for this problem.

- (30 points): The sum of N over all test cases does not exceed 3000.
- (70 points): No additional constraints.

Example

standard input	standard output
1 4 1 8 2 6 8 5 5 3	4

Note

In the sample test case, one way for the beavers to reach a snake formation in 2 seconds is as follows:

- The beaver at $(5, 3)$ can move to $(3, 5)$ in 2 seconds.
- The beaver at $(2, 6)$ can move to $(3, 6)$ in 1 second, and then stay there for 1 second.
- The beaver at $(1, 8)$ can move to $(3, 6)$ in 2 seconds.
- The beaver at $(8, 5)$ can stay still for 1 second, and then move to $(8, 6)$ in 1 second.

Afterwards, the beavers will be located at $(3, 5)$, $(3, 6)$, $(3, 6)$, and $(8, 6)$, which lie along a path that moves only upward and rightward.

We can show that it is impossible to form a snake with less time. Therefore, the answer is $2 \cdot 2 = 4$, twice the minimum number of seconds.