

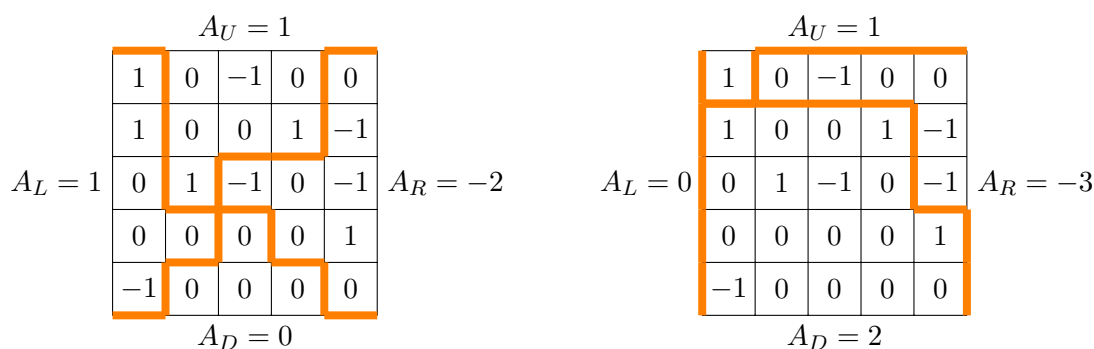
Division with Polylines

Input file: **standard input**
 Output file: **standard output**
 Time limit: 4 seconds
 Memory limit: 1024 megabytes

You are given a board of size $n \times n$, with each of its n^2 cells containing one of the numbers $-1, 0$, or 1 . You are also given four integers A_L, A_D, A_R and A_U . We want to draw two polylines:

- one connecting the top-left corner of the board with the bottom-right corner; moving along the edges of the cells only to the right and down,
- and the other connecting the bottom-left corner of the board with the top-right corner, moving only to the right and up.

The two polylines divide the board into four (possibly empty) regions: left, down, right, and up. Check whether there exist two polylines, such that the cells in these four regions sum up to A_L, A_D, A_R and A_U , respectively. Print **TAK** (yes) or **NIE** (no) for each of the t independent test cases.



The figures show the same 5×5 board from the sample test.

The left figure shows a partition into regions with sums $(1, 0, -2, 1)$ (in the order A_L, A_D, A_R, A_U). The first polyline can be described by the word **RDDDRRDRDR**, and the second by **RURUURRUUR** (where **D**, **U**, and **R** denote moves along edges down, up, and right, respectively). For example, the right region contains 8 cells with a sum $A_R = 0 - 1 - 1 + 0 - 1 + 0 + 1 + 0 = -2$.

The right figure shows a partition into regions with sums $(0, 2, -3, 1)$. The left region is empty, so the sum of its cells is zero. The polylines can be described by the words **DRRRRDDRDD** and **UUURURRRR**.

The same board cannot be partitioned into regions with sums $(-2, 0, 1, 1)$, i.e. $A_L = -2, A_D = 0, A_R = 1, A_U = 1$. Note that the same values, but in a different order, appear in the left figure – the order matters.

Input

The first line of input contains a single integer t ($1 \leq t \leq 100\,000$), denoting the number of test cases.

The first line of a test case contains five integers n, A_L, A_D, A_R, A_U ($1 \leq n \leq 2000$; $-n^2 \leq A_L, A_D, A_R, A_U \leq n^2$), denoting the side length of the board and the desired sums of the four regions.

Each of the next n lines of the test case describes the board; the i -th line contains n integers $a_{i1}, a_{i2}, \dots, a_{in}$ ($a_{ij} \in \{-1, 0, 1\}$), describing the i -th row. The total sum of the board is equal to $A_L + A_D + A_R + A_U$.

The total sum of n^2 over all test cases does not exceed 4 000 000.

Output

Output exactly t lines – for each test case output the word **TAK** (yes) if there exist polylines dividing the board into regions with the specified sums, or the word **NIE** (no) otherwise.

Example

standard input	standard output
5	TAK
5 1 0 -2 1	TAK
1 0 -1 0 0	NIE
1 0 0 1 -1	NIE
0 1 -1 0 -1	TAK
0 0 0 0 1	
-1 0 0 0 0	
5 0 2 -3 1	
1 0 -1 0 0	
1 0 0 1 -1	
0 1 -1 0 -1	
0 0 0 0 1	
-1 0 0 0 0	
5 -2 0 1 1	
1 0 -1 0 0	
1 0 0 1 -1	
0 1 -1 0 -1	
0 0 0 0 1	
-1 0 0 0 0	
2 1 -1 0 1	
1 0	
-1 1	
1 0 0 0 0	
0	

Note

The first three test cases correspond to the examples shown in the statement. They contain the same board and queries for sums (A_L, A_D, A_R, A_U) in order:

1. $(1, 0, -2, 1)$, answer TAK
2. $(0, 2, -3, 1)$, answer TAK
3. $(-2, 0, 1, 1)$, answer NIE