



## Task Euklid

It is rarely mentioned that Euclid's grandma was from Vrši in Croatia. It is from there that Euclid's less known (but equally talented in his youth) cousin Edicul\* comes from.

It happened one day that they were playing "invent an algorithm". Edicul writes two positive integers on the sand. Then he does the following: while neither number on the sand is 1, he marks them as  $(a, b)$  so that  $a \geq b$ . Then the numbers are erased and he writes  $(\lfloor \frac{a}{b} \rfloor, b)$  on the sand, and repeats the process. When one of the two numbers becomes 1, the other is the results of his algorithm.



Formally, if  $a$  and  $b$  are positive integers, the result  $R(a, b)$  of Edicul's algorithm is:

$$R(a, b) = \begin{cases} R(b, a) & \text{if } a < b, \\ R(\lfloor \frac{a}{b} \rfloor, b) & \text{if } a \geq b > 1, \\ a & \text{if } a \geq b = 1. \end{cases}$$

Euclid thinks for a while, and says: "Edicul, I have a better idea...", and the rest is history. Unfortunately, Edicul never became famous for his idea in number theory. This sad story inspires the following problem:

Given positive integers  $g$  and  $h$ , find positive integers  $a$  and  $b$  such that their **greatest common divisor** is  $g$ , and **the result of Edicul's algorithm**  $R(a, b)$  is  $h$ .

### Input

The first line contains a single integer  $t$  ( $1 \leq t \leq 40$ ) – the number of independent test cases.

Each of the following  $t$  lines contains two positive integers  $g_i$  and  $h_i$  ( $h_i \geq 2$ ).

### Output

Output  $t$  lines in total. For the  $i$ -th testcase, output positive integers  $a_i$  and  $b_i$  such that  $\gcd(a_i, b_i) = g_i$  and  $R(a_i, b_i) = h_i$ .

The numbers in the output must not be larger than  $10^{18}$ . It can be proven that for the given constraints, a solution always exists.

If there are multiple solutions for some testcase, output any of them.

### Scoring

In all subtasks,  $1 \leq g \leq 200\,000$  and  $2 \leq h \leq 200\,000$ .

Subtask	Points	Constraints
1	4	$g = h$
2	8	$h = 2$
3	8	$g = h^2$
4	15	$g, h \leq 20$
5	40	$g, h \leq 2000$
6	35	No additional constraints.

\*This sets up a pun in Croatian. The translation is a bit bland, sorry for that.



## Examples

**input**

1  
1 4

**output**

99 23

**input**

2  
3 2  
5 5

**output**

9 39  
5 5

### Clarification of the first example:

The integers 99 and 23 are coprime, i.e. their greatest common divisor is 1. We have  $\lfloor \frac{99}{23} \rfloor = 4$ , thus  $R(99, 23) = R(4, 23) = R(23, 4)$ . Then  $\lfloor \frac{23}{4} \rfloor = 5$ , so  $R(23, 4) = R(5, 4) = R(1, 4) = R(4, 1) = 4$ .

### Clarification of the second example:

For the first testcase,  $\gcd(9, 39) = 3$  and  $R(9, 39) = 2$ .

For the second testcase,  $\gcd(5, 5) = 5$  and  $R(5, 5) = 5$ .