

## Problem H. Count Numbers

Now Alice wants to sum up all integers whose digit sum is exactly  $a^b$ .

However we all know the number of this kind of integers are unlimited. So she decides to sum up all these numbers whose each digit is non-zero.

Since the answer could be large, she only needs the remainder when the answer divided by a given integer  $p$ .

### Input

The input has several test cases and the first line contains the integer  $t$  ( $1 \leq t \leq 400$ ) which is the number of test cases.

For each test case, a line consisting of three integers  $a, b$  ( $1 \leq a, b \leq 20$ ) and  $p$  ( $2 \leq p \leq 10^9$ ) describes the restriction of the digit sum and the given integer  $p$ .

### Output

For each test case, output a line with the required answer.

Here we provide an explanation of the following sample output. All integers satisfying the restriction in the input are 4, 13, 31, 22, 121, 112, 211 and 1111. The sum of them all is  $4 + 13 + 31 + 22 + 121 + 112 + 211 + 1111 = 1625$  and that is exactly the sample output.

### Example

standard input	standard output
5	13
2 1 1000000	147
3 1 1000000	1625
2 2 1000000	877377
3 3 1000000	935943
10 1 1000000	