Problem B. Short Random Problem

Input file:	standard input
Output file:	standard output
Time limit:	6 seconds
Memory limit:	512 megabytes

There are lots of things to do on this contest besides this problem, so let's make it quick.

You are given a tree consisting of n vertices. Length of each edge is a real number chosen independently and uniformly at random between 0 and 1. Find the expected value of the diameter of such tree.

Input

The first line of input contains the only integer n ($2 \le n \le 100$), the number of vertices in the tree.

Each of the next $n - 1$ lines contains two integers u_i, v_i ($1 \le u_i, v_i \le n$, $u_i \ne v_i$) describing endpoints of i-th edge.

Output

Output the answer as a value of a rational number modulo $10^9 + 7$.

Formally, it is guaranteed that under given constraints the expected value of diameter of such random tree is always a rational number $\frac{p}{q}$ (p and q are integer and coprime, q is positive), such that q is not divisible by $10^9 + 7$, which is a prime number (in case somebody missed it).

Output such integer a between 0 and $10^9 + 6$ that $p - aq$ is divisible by $10^9 + 7$.

Examples

standard input	standard output
5 1 2 2 3 3 4 4 5	2
5 4 2 2 3 3 1 3 5	283333337

Note

In the first sample case answer is 2 since each edge always belongs to the diameter adding 0.5 to diameter expected length.

In the second sample case expected length of diameter is $\frac{101}{60}$ that corresponds to value of $a = 283333337$ (since $101 - 60 \cdot 283333337 = -17000000119$ is divisible by $10^9 + 7$).