

# Topo Counting

Input file:            **standard input**  
Output file:           **standard output**  
Time limit:            4 seconds  
Memory limit:         512 megabytes

Now we start to describe a kind of directed graph called the Drying Rack Graph (DRG) with a parameter  $N$ .

A DRG contains  $N$  groups of vertexes. The  $i$ -th group  $V^i$  contains  $2N$  vertices:  $V_1^i, V_2^i, \dots, V_{2N}^i$ .

There are two types of edges in DRG: intra-group edges (edges inside each group) and inter-group edges (edges between groups).

**Intra-Group Edge** For the  $i$ -th group, the following intra-group edges exist:

- $(V_j^i, V_{j+N}^i)$ , for all integer  $j$  such that  $1 \leq j \leq N$ ;
- $(V_j^i, V_{j+1}^i)$ , for all integer  $j$  such that  $1 \leq j \leq N - 1$  or  $N + 1 \leq j \leq 2N - 1$ .

**Inter-Group Edge** The following inter-group edges exist:

- $(V_{i+N}^1, V_1^{i+1})$ , for all integer  $i$  such that  $1 \leq i \leq N - 1$ ;
- $(V_i^1, V_{1+N}^i)$ , for all integer  $i$  such that  $2 \leq i \leq N$ .

Now we want to know the number of topo-order of a DRG parameterized with  $N$ .

A topo-order of a directed graph  $G = (V, E)$  is a permutation  $v_{p_1}, v_{p_2}, \dots, v_{p_{|V(G)|}}$  of all vertices from  $V(G)$  such that for all  $i < j$ ,  $(v_{p_j}, v_{p_i}) \notin E(G)$

In order to avoid calculations of huge integers, report answer modulo a prime  $M$  instead.

## Input

The input contains only two integers  $N, M$  ( $1 \leq N \leq 5000, 2 * N * N < M \leq 2^{30}$ ), and  $M$  is a prime.

## Output

Output one integer indicating the answer.

## Examples

standard input	standard output
2 1073741789	31
3 1073741789	7954100