

Grammy's Kingdom

Input file: **standard input**
Output file: **standard output**
Time limit: 1 second
Memory limit: 512 megabytes

Grammy's kingdom is in danger. Some foreign invaders have intruded into her kingdom and they are destroying the traffic system. There are n stations indexed from 1 to n in the traffic system. Moreover, there are m ($m \leq n$) airports located in some of the stations. If you are in station i , you can transfer to station $i + 1$ if i and $i + 1$ haven't been destroyed. If you are in station i **with an airport**, you can fly to station j if $i \leq j$ **and station j has an airport** and both of the stations haven't been destroyed. We define the stability G of the system as the number of routes that still available.

Formally, $G = \sum_{1 \leq i < j \leq n}$ [a person in station i can transfer to station j via several stations or airports].

At each moment i ($1 \leq i \leq n$), the invaders will randomly choose an undestroyed station x and destroy it as well as the airport in it (If there exists an airport in it).

We define $E(x)$ as the expected value of x . Grammy wonders the value of $\sum_{i=1}^n E(G_i)$ modulo 998 244 353. Could you please help her? Here, G_i denotes the value of the stability G after the invaders destroying the i -th chosen station at the i -th moment.

Input

The input contains only a single case.

The first line contains two positive integers n and m ($1 \leq n \leq 2\,000\,000$, $0 \leq m \leq n$), denoting the number of stations and the number of airports.

The second line contains m distinct integers x_1, x_2, \dots, x_m ($1 \leq x_i \leq n$), denoting the indexes of station that has an airport.

Output

Output one integer, the value of $\sum_{i=1}^n E(G_i)$ modulo 998 244 353.

Examples

standard input	standard output
1 0	0
3 3 1 2 3	4
6 2 2 4	16637434

Note

It can be proved that the answer can be represented as a rational number $\frac{p}{q}$ with $\gcd(p, q) = 1$. Therefore, you are asked to find the value of $p q^{-1} \pmod{998\,244\,353}$. It can be shown that $q \pmod{998\,244\,353} \neq 0$ under the given constraints of the problem.