

# Monitored Area

Input file:            **standard input**  
Output file:           **standard output**  
Time limit:            10 seconds  
Memory limit:         512 megabytes

Curator George owns a gallery full of valuable artworks. To monitor and protect the artworks in this gallery, there are many CCTV cameras installed.

The gallery can be viewed as a simple polygon. And the cameras can be viewed as points inside the polygon.

We say that one point in the gallery is monitored if there exists a camera such that the segment between the camera and the point is inside the gallery.

Now George asks for your help to calculate the area of the monitored points.

## Input

The first line contains an integer  $n$  ( $3 \leq n \leq 50$ ) — the number of vertices of the polygon.

Then  $n$  lines follow. The  $i$ -th line contains two integer  $x, y$  ( $|x|, |y| \leq 100$ ) — the coordinates of the  $i$ -th polygon vertex. The vertices are given in clockwise order, and no three consecutive vertices are collinear.

The next line contains an integer  $m$  ( $1 \leq m \leq 50$ ) — the number of cameras.

Then  $m$  lines follow. The  $i$ -th line contains two integer  $x, y$  ( $|x|, |y| \leq 100$ ) — the coordinate of the  $i$ -th camera.

It is guaranteed that the cameras are strictly inside the gallery.

## Output

Output the area of the monitored points. Your answer should have an absolute or relative error less than  $10^{-6}$ . Namely, if your answer is  $a$  and the jury's answer is  $b$ , then your answer is accepted if  $\frac{|a - b|}{\max(1, |b|)} \leq 10^{-6}$ .

## Example

standard input	standard output
8	79.166666667
0 0	
0 5	
5 5	
5 10	
10 10	
10 5	
50 5	
50 0	
1	
8 7	