



Task Lirili Larila

Socrates: *Tell me, Plato, do you agree with me on this: the strongest fighters are those who can fly, like Bombardiro Crocodillo or Bombombini Gusini?*

Plato: *That is simply not the case. Land fighters, such as Brr Brr Patapim and Tung Tung Tung Sahur, have achieved their success despite their inability to fly.*

Socrates: *I believe the only way to find the truth is to let the fighters fight, and determine the outcome based on that.*

Plato: *Bravo, Socrates, I agree that this is the way to reach the truth.*

The decisive battle will take place on a connected graph with N vertices and M edges. Lirili Larila, a half-elephant half-cactus creature, owns the graph and insists that it is of her favorite type: a cactus graph. For the purposes of this problem, a *cactus graph* is defined as a simple connected graph in which each vertex belongs to at most one cycle.

The battle unfolds as follows: Initially, all flying fighters are placed at one designated starting vertex, and all land fighters are placed at a different designated starting vertex. As the battle progresses, the fighters spread their influence across the graph, attempting to conquer as many vertices as possible. Ultimately, a vertex is conquered either by the flying fighters or the land fighters, depending on whether it is closer to the starting vertex of the flying fighters or that of the land fighters. Vertices that are equidistant from both starting vertices remain unconquered, as they pose a significant challenge to both sides.

Lirili Larila wishes to control the outcome of the battle. She has already predetermined two positive integers A and B , representing the number of vertices to be conquered by the flying and land fighters, respectively. Help this lovable cactus-elephant choose starting vertices for both types of fighters so that, at the end of the battle, the number of conquered vertices matches the values A and B .

Additionally, you must find such a choice for T different scenarios.

Input

The first line contains a positive integer T , the number of different scenarios.

Each scenario is described as follows:

The first line contains four positive integers N , M , A , and B , representing the number of vertices and edges in the cactus graph, and the number of vertices to be conquered by the flying and land fighters, respectively.

Each of the next M lines contains two integers a and b ($1 \leq a, b \leq N$, $a \neq b$), representing an edge of the graph.

The given graph is guaranteed to be a cactus graph — that is, a simple connected graph in which each vertex belongs to at most one cycle.

The test data will guarantee that it is always possible to find a valid choice of starting vertices.

Output

Print T lines, one for each scenario.

In the i -th line, output two space-separated positive integers, representing the chosen starting vertices for the flying and land fighters in the i -th scenario. If multiple solutions exist, you may output any.



Scoring

In all subtasks, it holds that $2 \leq N \leq 200\,000$ and $2 \leq A + B \leq N$. Additionally, the sum of all N over all scenarios is at most 200 000.

The constraints listed below apply individually to each of the T given scenarios.

Subtask	Points	Constraints
1	6	The sum of all N is ≤ 300 .
2	8	The given graph is a tree and the sum of all N is ≤ 5000 .
3	25	The given graph is a tree.
4	13	The given graph has exactly one cycle and the sum of all N is ≤ 5000 .
5	17	The given graph has exactly one cycle, and it is guaranteed that a solution exists where both starting vertices are within that cycle.
6	8	The given graph has exactly one cycle.
7	11	The sum of all N is ≤ 5000 .
8	12	No additional constraints.

Sample Cases

input

```
1
6 5 3 1
1 2
2 3
2 4
4 5
5 6
```

output

```
4 3
```

input

```
1
6 6 3 2
1 2
2 3
3 4
4 1
3 5
5 6
```

output

```
1 6
```

input

```
1
6 7 3 3
1 2
2 3
3 1
2 4
4 5
5 6
6 4
```

output

```
4 2
```

Explanation of the First Sample Case:

The flying fighters conquer vertices 4, 5, and 6, while the land fighters conquer vertex 3. Vertices 1 and 2 remain unconquered.

Explanation of the Second Sample Case:

The flying fighters conquer vertices 1, 2, and 4, while the land fighters conquer vertices 5 and 6. Vertex 3 remains unconquered.

Explanation of the Third Sample Case:

The flying fighters conquer vertices 4, 5, and 6, while the land fighters conquer vertices 1, 2, and 3. There are no unconquered vertices.